## Shortcut edges

We say that an edge $(x, y)$ in a directed simple graph $G$ is a shortcut edge when there is a path in $G$ from $x$ to $y$ which length is at least 2. Let the cost of a shortcut edge $(x, y)$ be the length of the longest path from $x$ to $y$ in $G$.

## The task

Given a directed acyclic graph $G$ determine the sum of costs of all its shortcut edges.

## Input

The first line of input contains a single positive integer $N$ representing the number of vertices of the input graph $G$. We suppose that the vertices of $G$ are labeled $0,1, \ldots, N-1$. Next follow the lines containing the list of edges of $G$. Each line contains two integers $a, b$ separated by space and representing the edge $(a, b)$. The list is terminated by a line which does not represent an edge and which contains two zeroes separated by space. The edges in the list are not in any particular order. It holds that $|V(G)|=N \leq 10^{4},|E(G)| \leq 8 \cdot 10^{5}$.

## Output

The output contains one text line with an integer equal to the sum of costs of all shortcut edges in the input graph.

## Example 1 <br> Input

9
54
51
56
62
67
73
78
32
30
38
20
21
01
14
00


## Output

Image 1. The image depicts the graph in Example 1, the shortcut edges are highlighted together with their costs.

## Example 2

Input
200
150151
151152
150152
153154
00

## Output

2

